

International Economics B

4. International oligopoly 1: Third market model

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November 1, 2016

The Brander–Spencer model and strategic trade policy

- Brander, J.A. and B.J. Spencer (1985), Export Subsidies and International Market Share Rivalry, *Journal of International Economics* 18, pp.83–100.
- Motivation: To explain why export subsidies might be attractive policies from a domestic point of view
 - Based on competitive trade models, domestic welfare is increased by trade restriction, not by subsidization of trade \Rightarrow Discussing export subsidies does not make sense.
 - In reality, effective subsidization of firms engaged in international rivalry has been a common practice in Western economies (e.g., Boeing and Airbus).

- **In competitive trade models:**
 - **Large country (affecting world prices): trade restriction**
⇒ **relative price of exporting good \uparrow (improvement in terms of trade)**
⇒ **possibility of welfare gain**
 - **Trade expansion has an opposite effect; even a possibility of lower welfare than under autarky**

- **Brander and Spencer's finding:**
 - It is beneficial for a country to capture a large share of the production of profit-earning imperfectly competitive industries, and export subsidies can be used to carry out such “profit-shifting” policies.
- **Pioneering research in the field of “strategic trade policy”**
 - **Strategic trade policy:** trade policy that affects the outcome of strategic interactions between firms in an actual or potential international oligopoly.
 - **Main idea:** trade policies can raise domestic welfare by shifting profits from foreign to domestic firms.

Setup of the model

- **Three countries:** two producer countries and one consumer country
- **Cournot duopoly:** one domestic firm (quantity x) & one foreign firm (y), producing homogeneous products
 - Competing in the consumer country's market (third country)
 - No consumption takes place in the producing countries
- **Domestic government:** understands the structure of the industry, and is able to set a credible subsidy on exports in advance of the quantity decision by firms

- **Domestic firm's profit:**

$$\pi(x, y; s) = p(x + y) \cdot x - c(x) + s \cdot x$$

- $p(x + y)$: inverse world demand
 - $c(x)$: cost
 - s : per unit subsidy
- **Domestic firm chooses x so as to maximize π , taking s and y as given**
 \Rightarrow FOC:

$$\pi_x(x, y; s) = xp'(x + y) + p(x + y) - c'(x) + s = 0$$

- **Second-order condition is assumed to be satisfied:**
 $\pi_{xx} < 0$

- Foreign firm's profit:

$$\pi^*(x, y) = p(x + y) \cdot y - c^*(y)$$

- Foreign government is assumed to be passive
- Foreign firm chooses y so as to maximize π^* , taking s and x as given
 \Rightarrow First-order condition:

$$\pi_y^*(x, y) = yp'(x + y) + p(x + y) - c'^*(y) = 0$$

- SOC is assumed to be satisfied: $\pi_{yy}^* < 0$

- **Additional assumptions**

- $\pi_{xy} < 0$ & $\pi_{yx}^* < 0$: own marginal revenue declines with an increase in the output of the other firm
 - Equivalent (given satisfaction of the second-order conditions) to reaction functions being downward sloping
- $\pi_{xx} < \pi_{xy}$ & $\pi_{yy}^* < \pi_{yx}^*$: own effects of output on marginal profit dominate cross effects
- $\Rightarrow D \equiv \pi_{xx}\pi_{yy}^* - \pi_{xy}\pi_{yx}^* > 0$
 - Guaranteeing uniqueness and stability of the Cournot-Nash equilibrium

Effects of subsidy

- Comparative static effects of a change in s
- Total differentiation of FOCs:

$$\pi_{xx}dx + \pi_{xy}dy + \pi_{xs}ds = 0,$$

$$\pi_{yx}^*dx + \pi_{yy}^*dy + \pi_{ys}^*ds = 0$$

- $\pi_{xs} = 1$ & $\pi_{ys}^* = 0 \Rightarrow$ Solutions to the above system:

$$\frac{dx}{ds} = -\frac{\pi_{yy}^*}{D} > 0, \quad \frac{dy}{ds} = \frac{\pi_{yx}^*}{D} < 0$$

- An increase in the export subsidy shifts out the reaction function of the domestic firm \Rightarrow increases domestic exports and reduces the output of the foreign firm

- Effect on the equilibrium price:

$$\frac{dp(x(s) + y(s))}{ds} = p' \left(\frac{dx}{ds} + \frac{dy}{ds} \right) = p' \frac{\pi_{yx}^* - \pi_{yy}^*}{D} < 0$$

- Effects on the equilibrium profits:

$$\frac{d\pi(x(s), y(s); s)}{ds} = \underbrace{\pi_x}_0 \frac{dx}{ds} + \pi_y \frac{dy}{ds} + \pi_s$$

$$= xp' \frac{dy}{ds} + x > 0,$$

$$\frac{d\pi^*(x(s), y(s))}{ds} = \pi_x^* \frac{dx}{ds} + \underbrace{\pi_y^*}_0 \frac{dy}{ds} = yp' \frac{dx}{ds} < 0$$

Proposition

An increase in the domestic subsidy

- ① lowers the world price of the good ($dp/ds < 0$);
- ② increases domestic profit ($d\pi/ds > 0$); and
- ③ reduces foreign profit ($d\pi^*/ds < 0$).

Optimal export policy

- No domestic consumption \Rightarrow Domestic surplus is the profit of the domestic firm (earned from exports) minus the cost of the subsidy:

$$G(s) = \pi(x(s), y(s); s) - s \cdot x(s)$$

- Effect of a change in s on $G(s)$:

$$\begin{aligned} G'(s) &= \underbrace{\pi_x}_{0} \frac{dx}{ds} + \pi_y \frac{dy}{ds} + \underbrace{\pi_s - x}_{0} - s \frac{dx}{ds} \\ &= xp' \frac{dy}{ds} - s \frac{dx}{ds} \end{aligned}$$

- At $s = 0$, $G' > 0$
 - A marginal increase in the subsidy will increase welfare.

- Setting $G' = 0$ to obtain the optimal subsidy:

$$s^o = xp' \frac{dy/ds}{dx/ds} > 0$$

Proposition

The domestic country has a unilateral incentive to offer an **export subsidy** to the domestic firm.

- Export subsidies, shifting the foreign firm's profit to the domestic firm, enable the domestic firm to capture a larger share of profitable international markets.

- In acting first, the domestic government can actually move the domestic firm to the Stackelberg leader position in output space.

Proposition

The optimal export subsidy moves the industry equilibrium to what would, in the absence of a subsidy, be the Stackelberg leader–follower position in output space with the domestic firm as leader.

Extensions of the basic model

1 Domestic consumption

- $\Rightarrow p \downarrow$ caused by $s \uparrow$ implies a deterioration of the domestic country's terms of trade.
- Nevertheless, a small subsidy always increases domestic welfare through an expansion of profitable exports.

2 Foreign country's action

- \Rightarrow Noncooperative Nash equilibrium in subsidies
- Both $s > 0$ and $s^* > 0$ in the Nash equilibrium.
- Noncooperative solution is jointly suboptimal for the producing countries; joint welfare would be higher if subsidies were reduced below the Nash equilibrium levels.

- ③ **Third (i.e., consuming) country's action**
 - \Rightarrow Nash tariff and subsidy equilibrium by three gov'ts
 - In the “usual” case, export subsidies and import tariff in the Nash equilibrium.

Criticism of the Brander–Spencer model

- **Not justified from the global welfare point of view.**
 - Any intervention will likely diminish global welfare, even if it may increase the welfare of one or more countries.
 - \Rightarrow It is always better to achieve agreement on the elimination of unfair trade.
- **Results of the BS model and its policy prescriptions: very sensitive to the underlying assumptions on the nature of the industry, the information available to the national government, etc.**
 - A slight difference in assumptions can produce completely different results.
 - If firms compete in prices rather than in quantities, then the optimal policy is not a subsidy but an export tax: Eaton and Grossman (1986).

Strategic export policy under Bertrand competition

- Eaton, J. and G. Grossman (1986), **Optimal Trade and Industrial Policy Under Oligopoly**, *Quarterly Journal of Economics* 101, pp.383–406.
- Duopoly with production differentiation
 - Home firm's profit:

$$\pi(p, P) = (1 - t)pd(p, P) - c(d(p, P))$$

- t : ad valorem output (or export) tax
- Foreign firm's profit:

$$\Pi(p, P) = PD(p, P) - C(D(p, P))$$

- **Two stage game:**

- 1 Domestic gov't determines t so as to maximize national welfare.
- 2 Domestic and foreign firms play Bertrand game in the third market.

- **Equilibrium in the 2nd stage**

- Each firm sets its price to maximize its profit, taking the other firm's price as given.
- FOCs:

$$\frac{\partial \pi}{\partial p} = (1 - t)(d + pd_1) - c'd_1 = 0$$

$$\frac{\partial \Pi}{\partial P} = D + (P - C')D_2 = 0$$

$\Rightarrow p$ and P depend on t .

- **Optimal export policy in the 1st stage**

- Domestic welfare: $w = \pi(p, P) + tpd(p, P)$
- FOC for optimal t :

$$\frac{dw}{dt} = \underbrace{\pi_p}_0 \frac{dp}{dt} + \pi_P \frac{dP}{dt} + \underbrace{\pi_t + pd}_0 + t(d + pd_1) \frac{dp}{dt} = 0$$

$$\Rightarrow t^o = - \frac{(p - c')d_2}{d + pd_1} \frac{dP}{dp}$$

- Under Bertrand competition in differentiated goods, $t^o > 0$, i.e., optimal policy is an **export tax**.
 - Under product differentiation, $(p - c')d_2 > 0$.
 - From the home firm's FOC, $d + pd_1 < 0$.
 - $dP/dp = -\Pi_{Pp}/\Pi_{PP}$: slope of the foreign firm's reaction curve